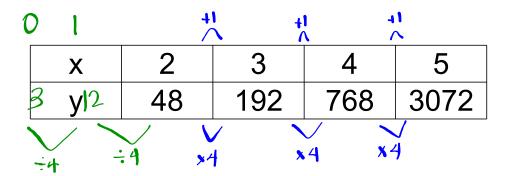
Warm Up

Write the equation for the data in the table below?



Another way to find y-int using algebra.

Use a solution, and substitution

$$(2.48)$$

$$48=a(4)^{2}$$

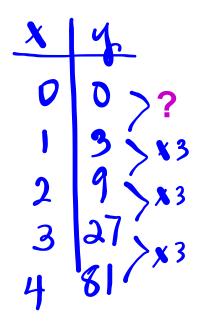
$$48=a \cdot 16$$

$$16 \quad 16$$

$$3=a$$

$$3=a$$

An exponential relationship cannot have a y-intercept = 0!



Anything you multiply zero by will always result in zero!

Questions on Problem 3.2?

Answers to Problem 3.2

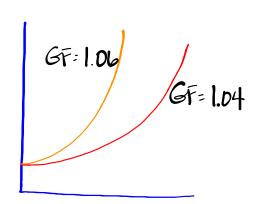
A. 1. Sam's Stamp Collection at 6%

Year	Value
0	\$2,500
1	\$2,650
2	\$2,809
3	\$2,977.54
4	\$3,156.19
5	\$3,345.56

- 2. Yes. This is exponential growth with a growth factor of 1.06.
- 3. $v = 2,500(1.06)^n$
- **4.** It will take about 12 years to double the value of the investment.

B. 1. Sam's Stamp Collection at 4%

Year	Value
0	\$2,500
1	\$2,600
2	\$2,704
3	\$2,812.16
4	\$2,924.65
5	\$3,041.63



- **2.** 1.04
- 3. $v = 2,500(1.04)^n$
- **4.** It will take about 18 years to double the value of the investment.
- **5.** The graph of the equation for 6% growth rate will increase faster than the graph of the equation for 4% growth rate.

C. 1. a. 1.00 = 6+ = 0% change

b. 1.15 : 6F : 15% increase

c. 1.3 = EF 30% increase

d. 1.75 = 65 75% incress

e. 2 = GF 100% increase

f. 2.5:6 |50% incress

Possible answer: Change the growth rate to a decimal and add 1. (Be sure students know why this works.)

D. 1. a. 50% -> 1.5 GF

b. 25% → 1.25 6F

c. 10% -> 1.1 GF

d. 0% -> 1 GF

Possible answer: Change the growth factor to a percent and subtract 100%. (Be sure students know why this works.)

What is the factor for 63% inchase?

What is the % change if the factor = 3.24

224% Incrase

Classwork

Page 50, #'s 10-16, 19, 41, 43-45

Find the growth rate associated with the given growth factor.

10. 1.4

11. 1.9

12. 1.75

Find the growth factor associated with the given growth rate.

13. 45%

14. 90%

15. 31%

16. Suppose the price of an item increases by 25 % per year. What is the growth factor for the price from year to year?

- \$7, and inflation causes ticket prices to increase by 4.5% a year for the next several years.
 - **a.** How much will a ticket cost 5 years from now?
 - **b.** How much will a ticket cost 10 years from now? 30 years from now?
 - **c.** How many years will it take for the cost of a ticket to exceed \$26?



- **41.** In 2000, the population of the United States was about 282 million and was growing exponentially at a rate of about 1% per year.
 - **a.** At this growth rate, what will the population of the United States be in the year 2020?
 - **b.** At this rate, how long will it take the population to double?
 - **c.** The population in 2010 was about 308 million. How accurate was the growth rate?

For Exercises 43–45, write an equation that represents the exponential function in each situation.

43. A population is initially 300. After 1 year, the population is 361.

44. A population has a yearly growth factor of 1.2. After 3 years, the population is 1,000.

45. The growth rate for an investment is 3 % per year. After 2 years, the value of the investment is \$2,560.

Homework

Finish classwork